

Chapter 1: 16,17 No solutions provided. Trivial problems. Contact TA if require solutions

Chapter 3:

Problem 17: If two adjacent signal levels are separated by more than $2/16$ then the noise cannot translate one adjacent signal into the next. The maximum range that the signal can span is $+1-(-1)=2$, so the maximum number of levels is $2/(1/8)=16$

Problem 18:

1. $w = 2.4\text{KHz}$ SNR=20dB
An SNR of 20dB corresponds to a value of 100. The channel capacity formula then gives
 $C = 2400 \log_2(1 + 100) = 15979 \text{ bps}$
2. $C = 2400 \log_2(1 + 10000) = 31890 \text{ bps}$
3. $C = 3000 \log_2(1 + 100) = 19974 \text{ bps}$
4. $C = 3000 \log_2(1 + 10000) = 39863 \text{ bps}$

Problem 40:

- If we rearrange the $2n$ information bits and the 2 parity bits into codewords, each consisting of n information bits and a parity bit, we see that in effect we have divided the overall codeword into two subcodewords of length $n+1$. an error pattern is detectable if the error pattern in each subcodeword is detectable if the number of errors in the subcodeword is an odd.
- An error detection failure occurs in either the first subcodeword or the second subcodeword or both fail. Let $P_{detect}(n + 1)$ be the probability of successful error detection in the single parity code of length $n + 1$, then
$$\begin{aligned} & P[\text{detection failure in code of length } 2n+2] = \\ & = 1 - P[\text{successful detection in both codes of length } n+1] \\ & = 1 - P_{detect}(n + 1) * P_{detect}(n + 1) \end{aligned}$$
- No, it should not.

Problem 41: Using polynomial arithmetic we obtain, codeword = 1001110 and the remainder as 101 which is erroneous cause remainder on the received codeword should be zero.

Problem 43: The Internet checksum is calculated as:

$$\begin{aligned} b_0 &= 1111111111111111 = 2^{16} - 1 = 65535 \\ b_1 &= 1111111100000000 = 65280 \\ b_2 &= 1111000011110000 = 61680 \end{aligned}$$

$$b_3 = 1100000011000000 = 49344$$

$$x = b_0 + b_1 + b_2 + b_3 \text{ modulo } 65535 = 241840 \text{ modulo } 65535 = 45235$$

$$ib_4 = -x \text{ modulo } 65535 = 20300 \text{ So the internet checksum is } = 0100\ 1111\ 0100\ 1100$$