

COMPRESSION

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1  PROCEDURE initCompression (c, meshType) { #c is a starting corner, meshType: manifold or t-patch
2  ...GLOBAL M[]={0...}, U[]={0...}; # init tables for marking visited vertices and triangles
3  ...GLOBAL T = 0; # id of the last triangle compressed so far
4  ... EncodeDelta (c.n); # estimate first vertex and encode as delta in vertices file
5  ...IF meshType ==manifold THEN M[c.n.v] = 1; # if we do not have a border mark first vertex as visited
6  ... EncodeDelta (c); M[c.v] = 1; # estimate third vertex and mark it as visited
7  ... EncodeDelta (c.p); M[c.p.v] = 1; # estimate second vertex and mark it as visited
8  ...U[c.t] = 1; # mark the first triangle as visited
9  ...a = c.o; # a is corner for triangles incident on first vertex
10 ...count = 1; # init number of triangles incident on the first corner
11 ...WHILE a != c.p.o.p DO{ # traverse fan of 'C' triangles incident on
12 .....U[a.t] = 1; T++; count++; # paint the triangle, increment # of triangles
13 ..... EncodeDelta (a); M[a.v] = 1; # estimate next vertex and mark it as visited
14 .....a = a.n.o;} # continue around with the right neighbor of a
15 ...U[a.t] = 1; T++; count++; # mark the 'R' triangle incident on the first vertex
16 ...WRITE(clers, meshType); # encode meshType in clers file
17 ...WRITE(clers, count); # encode number of triangles incident on first vertex
18 ...Compress(a.p.o) # start compression with triangle adjacent to 'R'

19 RECURSIVE PROCEDURE Compress(c) { # compressed the rest of t-meshes starting with corner c
20 ...REPEAT { # visits triangle-spanning tree until matching RETURN
21 .....U[c.t] = 1; T++; # mark current triangle as visited, increments triangle count
22 .....IF c.n.o.t.u > 1 THEN { # checks for handles from right
23 .....WRITE(handles, c.n.o.t.u); # encodes pair of opposite corners to be glued for handle
24 .....WRITE(handles, T*3+1)}
25 .....IF c.p.o.t.u > 1 THEN { # checks for handles from left
26 .....WRITE(handles, c.p.o.t.u); # encodes pair of opposite corners to be glued for handle
27 .....WRITE(handles, T*3+2)}
28 .....IF c.v.m != 1 # test whether 'C' (tip vertex) was not visited
29 .....THEN {WRITE(clers, 'C'); # IF WAS NOT, appends encoding of 'C' to clers
30 .....EncodeDelta(c); M[c.v] = 1; # estimate next vertex and mark it as visited
31 .....c = c.r} # continue with the right neighbor
32 .....ELSE IF c.r.t.u > 0 #IF WAS, test whether right triangle was visited
33 .....THEN IF c.l.t.u > 0 # test whether left triangle was visited
34 .....THEN {WRITE(clers, 'E'); RETURN } # append code for 'E' and pop stack pushed by 'S'
35 .....ELSE {WRITE(clers, 'R'); c = c.l } # append code for 'R', move to left neighbor
36 .....ELSE IF c.l.t.u > 0 # test whether left triangle was visited
37 .....THEN {WRITE(clers, 'L'); c = c.r } # append code for 'L', move to right triangle
38 .....ELSE {U[c.t] = T*3+2; # store corner number in decompression (potential handle)
39 .....WRITE(clers, 'S'); # append code for 'S'
40 .....Compress(c.r); # recursive call to first visit right branch of split
41 .....c = c.l; # upon return, move to left triangle
42 .....IF c.t.u > 0 THEN RETURN}} # if the triangle to the left was visited (handle), then return

43 PROCEDURE EncodeDelta(c) { # if neighbors a,b, and c were visited, uses parallelogram a+b-d
44 ...IF c.o.v.m > 0 && c.p.v.m > 0 THEN {pred = (c.n.v.d+c.p.v.d-c.o.v.d); delta = c.v.g - pred} # a, b, d known (case 1)
45 ...ELSE IF c.o.v.m > 0 THEN {pred = (2*c.n.v.d -c.o.v.d); delta = c.v.g - pred} # a and d are known (case 2)
46 ...ELSE IF c.n.v.m > 0 && c.p.v.m > 0 THEN {pred = (c.n.v.d +c.p.v.d)/2; delta = c.v.g - pred} # a, b known (case 3)
47 ...ELSE IF c.n.v.m > 0 THEN {pred = c.n.v.d ; delta = c.v.g - pred} # a is known (case 4)
48 ...ELSE IF c.p.v.m > 0 THEN {pred = c.p.v.d; delta = c.v.g - pred} # b is known (case 5)
49 ...ELSE {pred = {0,0,0}; delta = c.v.g - pred} # nothing is known (case 6)
50 ...D[c.v] = delta + pred; # update vertex as it will be decoded for future predictions
51 ...WRITE(vertices, delta)} # store corrective vectors in the vertices file

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DECOMPRESSION

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1  PROCEDURE initDecompression {
2  ...GLOBAL V[] = { 0,2,1,0,0,0,0,...};           # table of vertex Ids for each corner
3  ...GLOBAL O[] = {-1,-1,-3, -3, -3, -3...};      # table of opposite corner Ids for each corner
4  ...GLOBAL T = 0;                               # id of the last triangle decompressed so far
5  ...GLOBAL N = 2;                               # id of the last vertex encountered
6  ...GLOBAL A = 0;                               # id of the last handle encountered
7  ...H = READ (handles)                        # read handle pairs from handles file into array H
8  ...GLOBAL meshType = READ(clers);             # read meshType from clers file
9  ...GLOBAL I = READ(clers);                     # read number of incident triangles on first vertex
10 ...WRITE ("C,C,...C,R", clers);               # append (I-2) Cs and 1R to the beginning of clers file
11 ...DecompressConnectivity(2);                 # start connectivity decompression
12 ...GLOBAL M[]={0...}, U[]={0...};             # init tables for marking visited vertices and triangles
13 ...G[0] = DecodeDelta (0);                     # estimate 1st vertex
14 ...IF meshType == manifold THEN M[0] = 1;     # if we do not have a hole mark 1st vertex as visited
15 ...G[1] = DecodeDelta (2); M[1] = 1;          # estimate third vertex and mark it as visited
16 ...G[2] = DecodeDelta (1); M[2] = 1;          # estimate second vertex and mark it as visited
17 ...GLOBAL N = 2;                               # id of the last vertex encountered
18 ...U[0] = 1;                                   # paint the triangle and go to opposite corner
19 ...DecompressVertices(O[2]);                 # start vertices decompression

20 RECURSIVE PROCEDURE DecompressConnectivity(c) {
21 ...REPEAT {                                     # Loop builds triangle tree and zips it up
22 .....T++;                                       # new triangle
23 .....O[c] = 3T; O[3T] = c;                     # attach new triangle, link opposite corners
24 .....V[3T+1] = c.p.v; V[3T+2] = c.n.v;         # enter vertex Ids for shared vertices
25 .....c = c.o.n;                                 # move corner to new triangle
26 .....Switch READ(clers) {                     # select operation based on next symbol
27 .....Case C: {O[c.n] = -1; V[3T] = ++N; }       # C: left edge is free, store ref to new vertex
28 .....Case L: {O[c.n] = -2;                     # L: orient free edge
29 .....IF !CheckHandle(c.n) THEN zip(c.n); }    # check for handles, if non, try to zip
30 .....Case R: {O[c]= -2; CheckHandle(c); c = c.n; } # R: orient free edge, check for handles, go left
31 .....Case S: {DecompressConnectivity (c); c = c.n; } # S: recursion going right, then go left
32 .....IF c.o >=0 DO RETURN; }                   # if the triangle to the left was visited, then return
33 .....Case E: {O[c] = -2; O[c.n] = -2;          # E: left and right edges are free
34 .....CheckHandle(c);                           # check for handles on the right
35 .....IF !CheckHandle(c.n) THEN zip(c.n);       # check for handles on the left, if non, try to zip
36 .....RETURN }}}

37 PROCEDURE BOOLEAN CheckHandle(c) {
38 ...IF c != H[A+1] OR A >= sizeof(H) THEN RETURN FALSE ELSE { # check if this is a handle
39 .....O[c] = H[A]; O[H[A]] = c;                   # link opposite corners
40 .....a = c.p; WHILE a.o>=0 && a!= H[A] DO {a=a.o.p;} # find corner of next free edge if any
41 .....IF a.o == -2 DO Zip(a);                     # zip if found cw edge
42 .....a = c.o.p; WHILE a.o>=0 && a!= c DO {a=a.o.p;} # find corner of next free edge if any
43 .....IF a.o == -2 THEN Zip(a);                   # zip if found cw edge
44 .....A+=2;                                        # next handle
45 .....RETURN TRUE}}

46 RECURSIVE PROCEDURE Zip(c) {                   # tries to zip free edges opposite c
47 ...b = c.n; WHILE b.o>=0 && b.o!=c DO b=b.o.n;    # search clockwise for free edge
48 ...IF b.o != -1 THEN RETURN;                     # pop if no zip possible
49 ...O[c]=b; O[b]=c;                               # link opposite corners
50 ...a = c.n; V[a.n] = b.n.v;                       # assign co-incident corners
51 ...WHILE a.o>=0 && a!=b DO {a=a.o.n; V[a.n]=b.n.v}; # update all incident corners to zipped vertex
52 ...c = c.p; WHILE c.o >= 0 && c!= b DO c = c.o.p; # find corner of next free edge on right
53 ...IF c.o == -2 THEN Zip(c) }                  # try to zip again
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1  RECURSIVE PROCEDURE DecompressVertices(c) {
2  ...REPEAT {                                # start traversal for triangle tree
3  .....U[c.t] = 1;                            # mark the triangle as visited
4  .....IF c.v.m != 1 THEN {                  # test whether tip vertex was visited
5  .....G[++N] = DecodeDelta (c);           # update new vertex
6  .....M[c.v] = 1;                            # mark tip vertex as visited
7  .....c = c.r;}                             # continue with the right neighbor
8  .....ELSE IF c.r.t.u == 1                 # test whether right triangle was visited
9  .....THEN IF c.l.t.u == 1                 # test whether left triangle was visited
10 .....THEN RETURN                           # pop
11 .....ELSE { c = c.l }                      # move to left triangle
12 .....ELSE IF c.l.t.u == 1                 # test whether left triangle was visited
13 .....THEN { c = c.r }                     # move to right triangle
14 .....ELSE { DecompressVertices (c.r);    # recursive call to visit right branch first
15 .....c = c.l ;                             # move to left triangle
16 .....IF c.t.u > 0 THEN RETURN}}           # if the triangle to the left was visited, then return

17  PROCEDURE DecodeDelta(c) {                # uses parallelogram if neighbors are known
18  ...delta = READ(vertices);                # read next vertex delta
19  ...IF c.o.v.m > 0 && c.p.v.m > 0 THEN RETURN (delta + (c.n.v.g+c.p.v.g-c.o.v.g)); # a, b, d known (case 1)
20  ...IF c.o.v.m > 0 THEN RETURN (delta + (2*c.n.v.g -c.o.v.g)); # a, d known (case 2)
21  ...IF c.n.v.m > 0 && c.p.v.m > 0 THEN RETURN (delta + (c.n.v.g +c.p.v.g)/2); # a, b known (case 3)
22  ...IF c.n.v.m > 0 THEN RETURN (delta + c.n.v.g); # a is known (case 4)
23  ...IF c.p.v.m > 0 THEN RETURN (delta + c.p.v.g); # b is known (case 5)
24  ...RETURN (delta) }                       # no known neighbors

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