



DATA ANALYTICS USING DEEP LEARNING

GT 8803
FALL 2018
POOJA BHANDARY

TOWARDS A UNIFIED ARCHITECTURE FOR IN-
RDBMS ANALYTICS

CREATING THE NEXT®

TODAY'S PAPER

- SIGMOD 2012
 - In-RDBMS Analytics
- Hazy project at the Department of Computer Science, University of Wisconsin, Madison.

TODAY'S AGENDA

- Motivation
- Problem Overview
- Key Idea
- Technical Details
- Experiments
- Discussion

MOTIVATION

Advanced Analytics

Classification



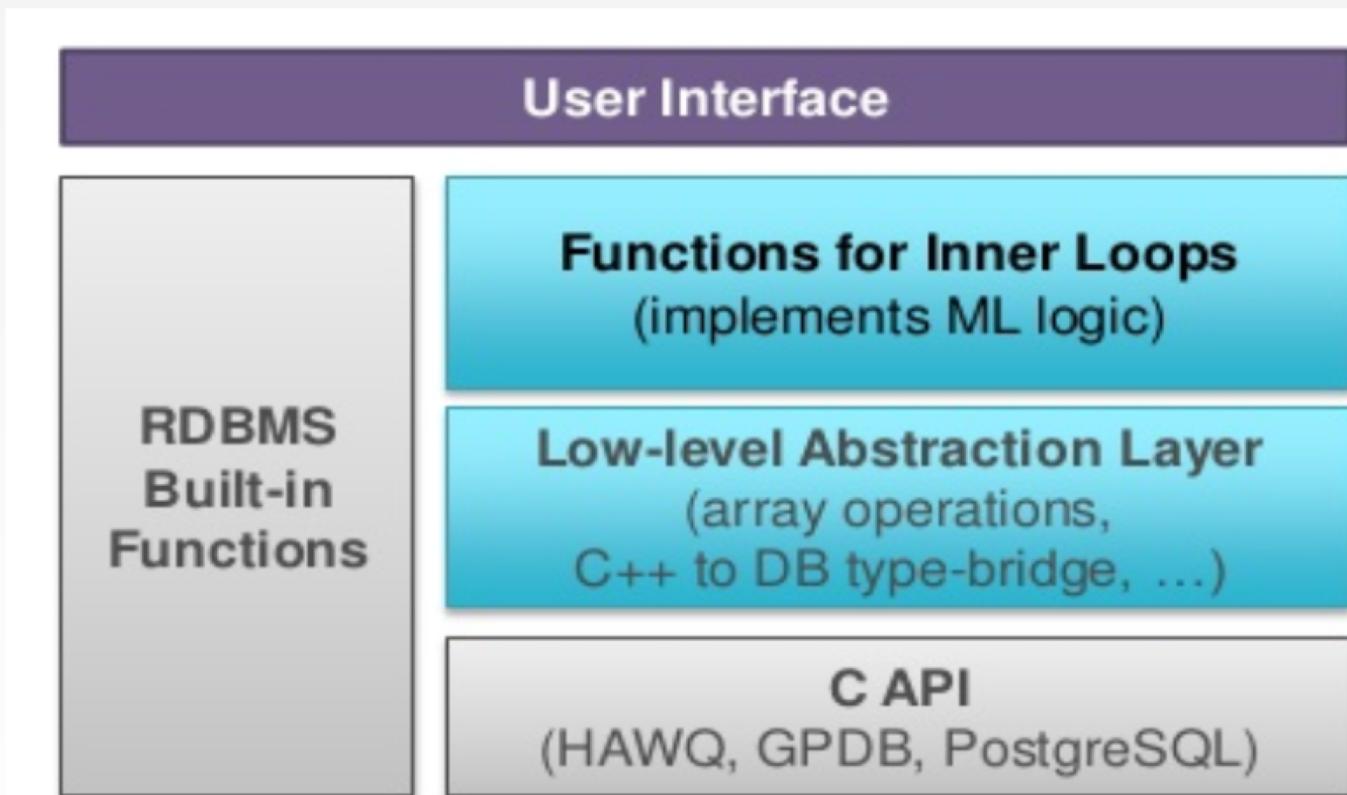
Recommendation



PROBLEM OVERVIEW

- Ad hoc development cycle for incorporating new analytical tasks.
- Performance optimization on a per module basis.
- Limited code reusability.

IN-RDBMS ANALYTICS ARCHITECTURE



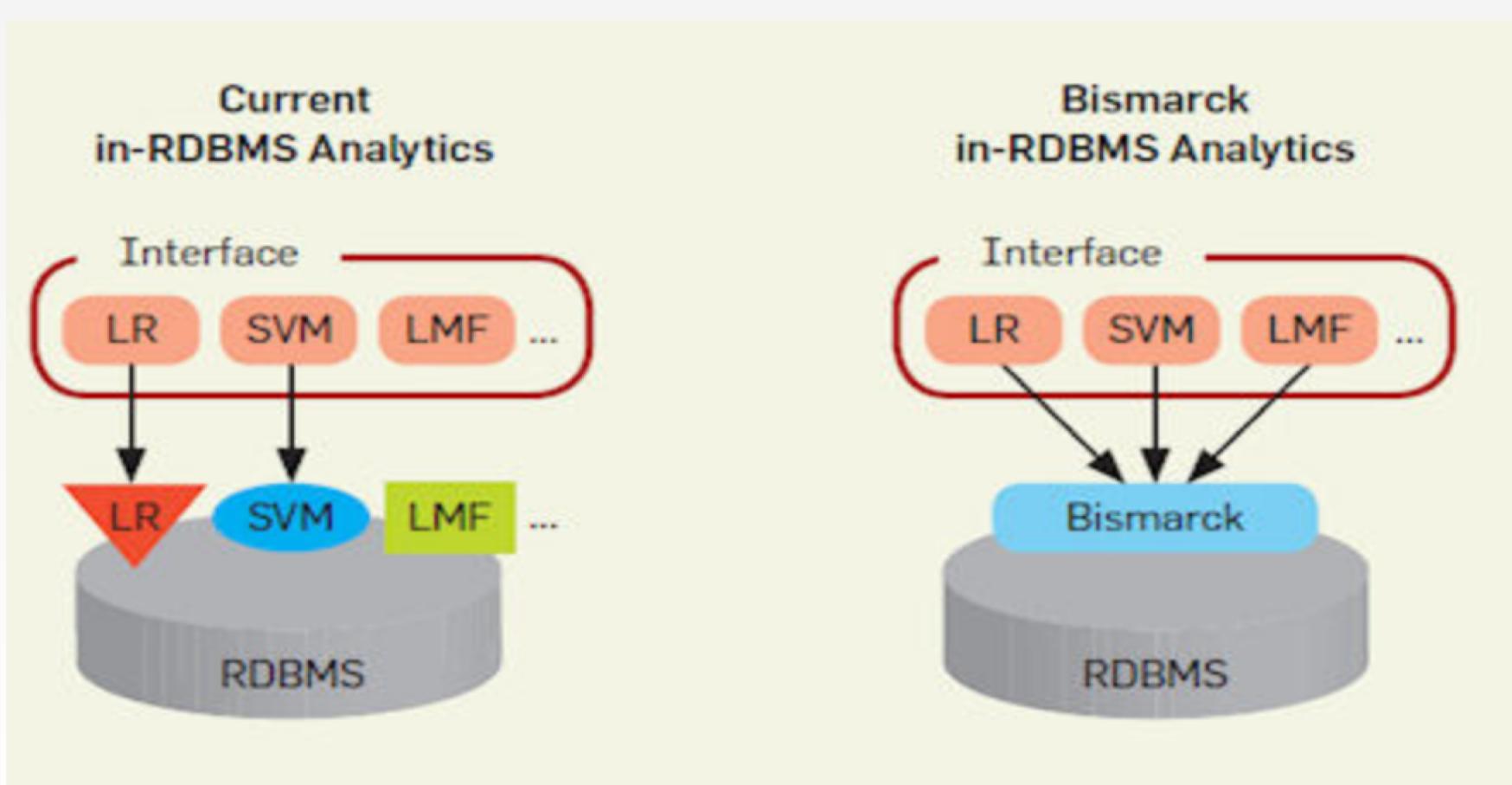
HIGH LEVEL IDEA

- Devise a unified architecture that is capable of processing multiple data analytics techniques.
- Frame analytical tasks using Convex Programming.

MAIN CONTRIBUTIONS

- Bismarck
- Identification of factors that impact performance and suggesting relevant optimizations.

BISMARCK



Convex Optimization

$$\min_{w \in \mathbb{R}^d} \sum_{i=1}^N f(w, z_i) + P(w)$$

What is convex ?

Linear Regression, Linear SVM

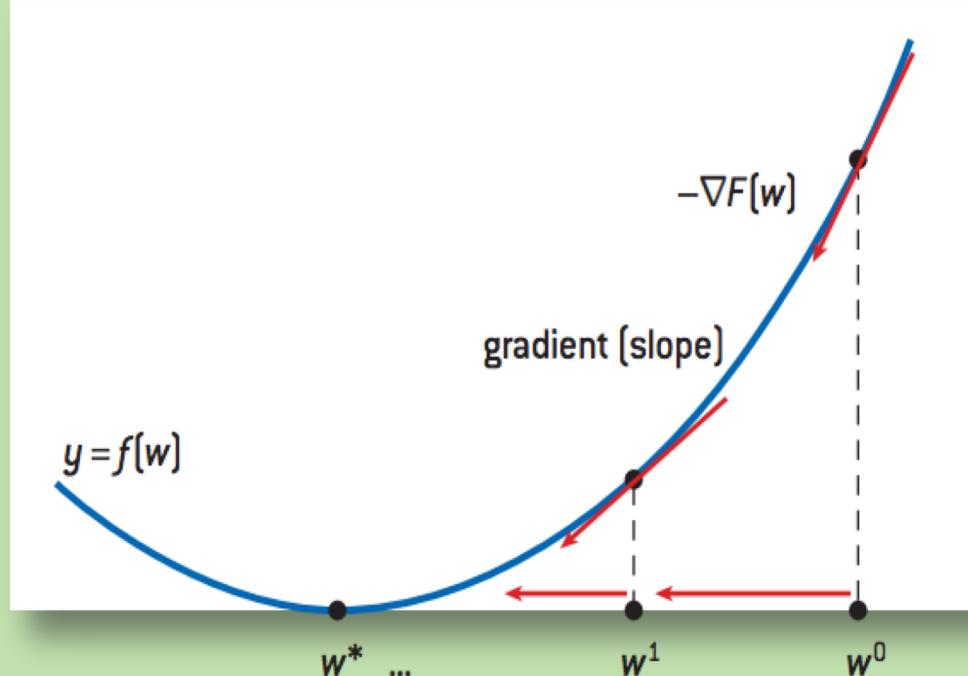
Kernel SVMs, Logistic Regression,

What is not convex ?

Graph mining, Deep Learning

GRADIENT DESCENT

Gradient Descent on a Convex Function



INCREMENTAL GRADIENT DESCENT

- $w^{(k+1)} = w^k - \alpha_k \nabla \mathcal{F}(w^k, z_i)$

INCREMENTAL GRADIENT DESCENT

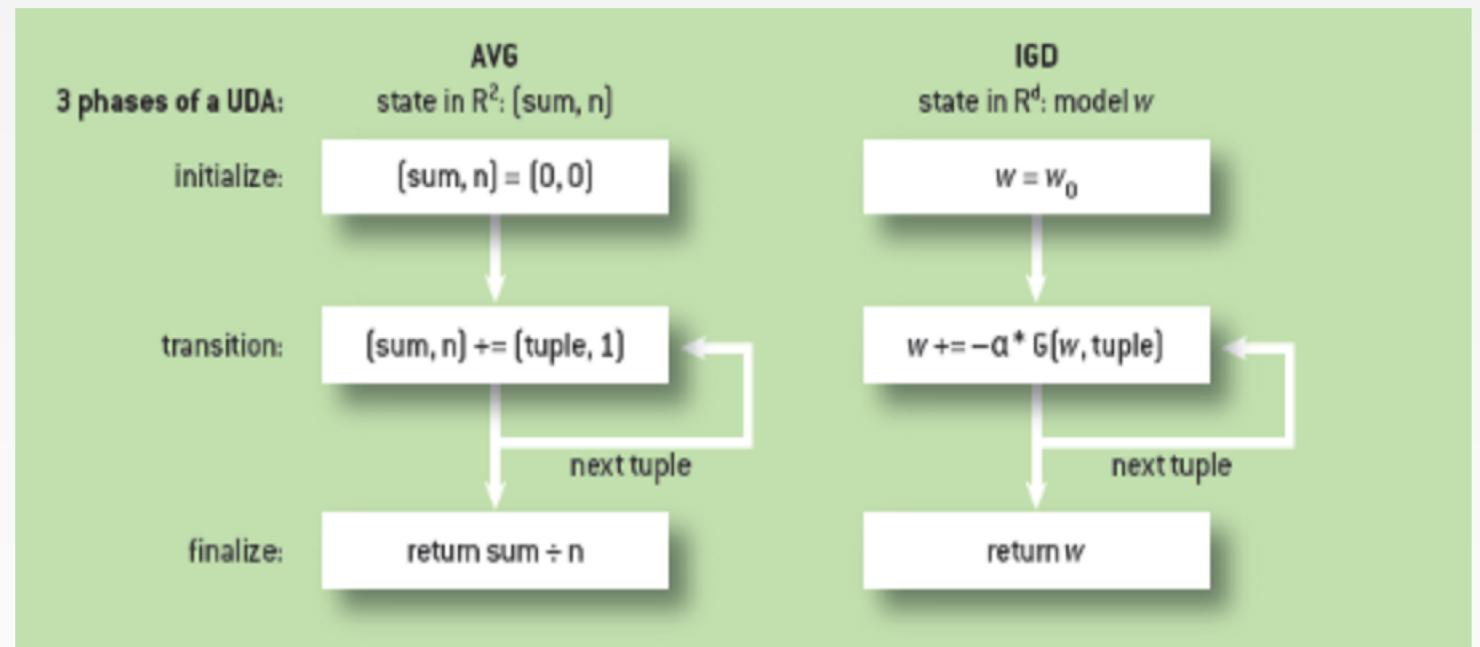
- Data-access properties are amenable to an efficient in-RDBMS implementation.
- IGD approximates the full gradient ∇F using only one term at a time.

TECHNICAL APPROACH

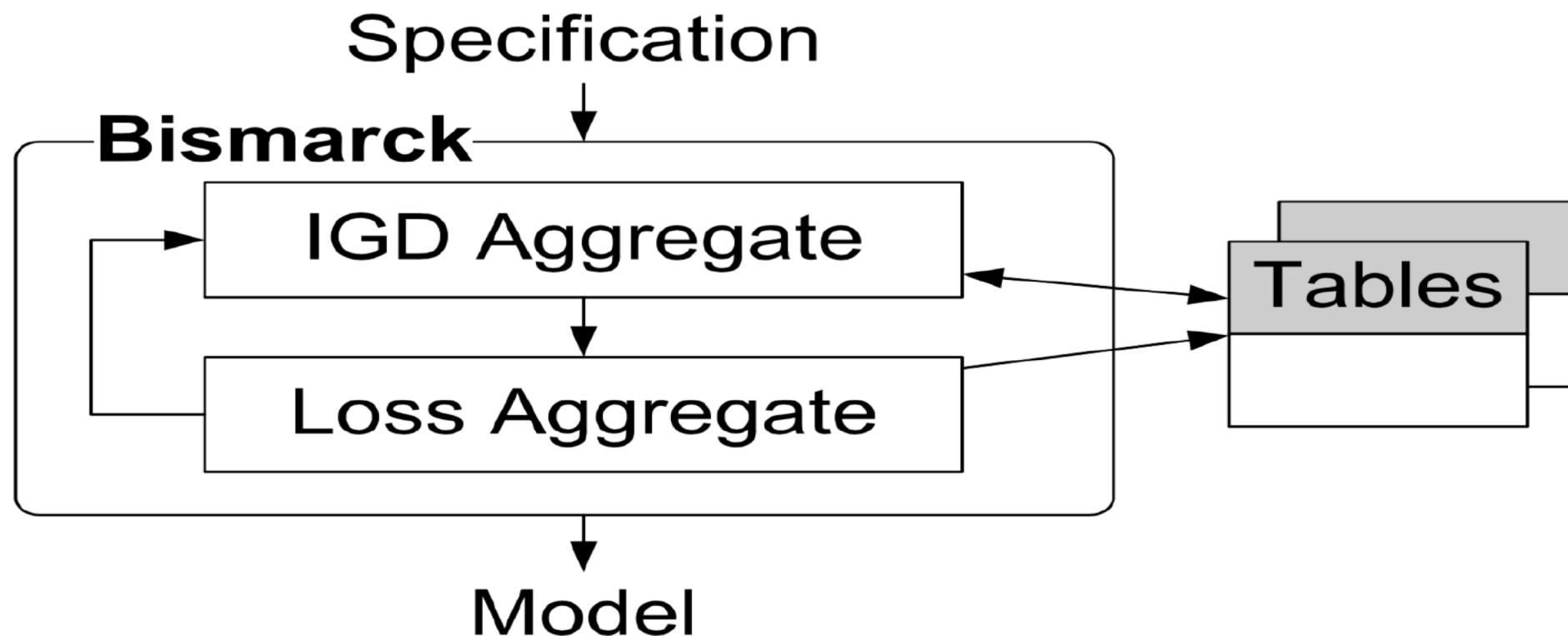
- IGD can be implemented using a classic RDBMS abstraction called a UDA (*user-defined aggregate*).

USER DEFINED AGGREGATE(UDA)

- Initialize
- Transition
- Finalize



Bismarck Architecture



PERFORMANCE OPTIMIZATIONS

- Data Ordering
- Parallelizing Gradient Computations
- Avoiding Shuffling Overhead

DATA ORDERING

- Data is often clustered in RDBMSs which could lead to slower convergence time.
- Shuffling at every epoch can be computationally expensive.

Solution: Shuffle once

PARALLELIZING GRADIENT COMPUTATIONS

- **Pure UDA - Shared Nothing**

Requires a merge function. Can lead to sub-optimal run time results.

- **Shared-Memory UDA**

Implemented in the user space. The model to be learned is maintained in shared memory and is concurrently updated by parallel threads.

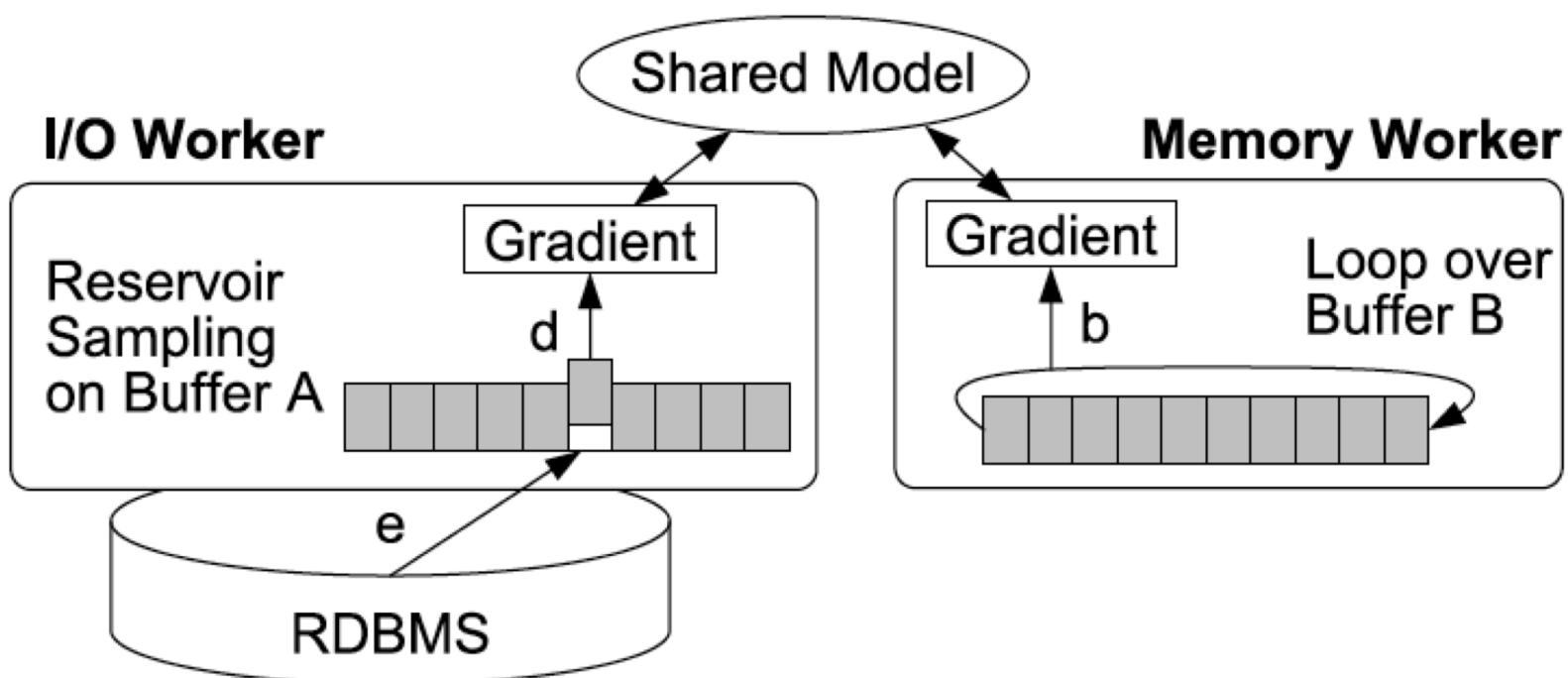
AVOIDING SHUFFLING OVERHEAD

- Shuffling once might not be feasible for very large datasets.
- Straightforward reservoir sampling could lead to slower convergence rate by discarding data items that could lead to a faster convergence.

MULTIPLEXED RESERVOIR SAMPLING

- Combines the reservoir sampling idea with the concurrent update model.
- Combine or multiplex, gradient steps over both the reservoir sample and the data that is not put in the reservoir buffer

MULTIPLEXED RESERVOIR SAMPLING



EVALUATION

- 1) Implement Bismarck over PostgreSQL and two other commercial databases.
- 2) Compare its performance with native analytical tools provided by the RDBMSs.

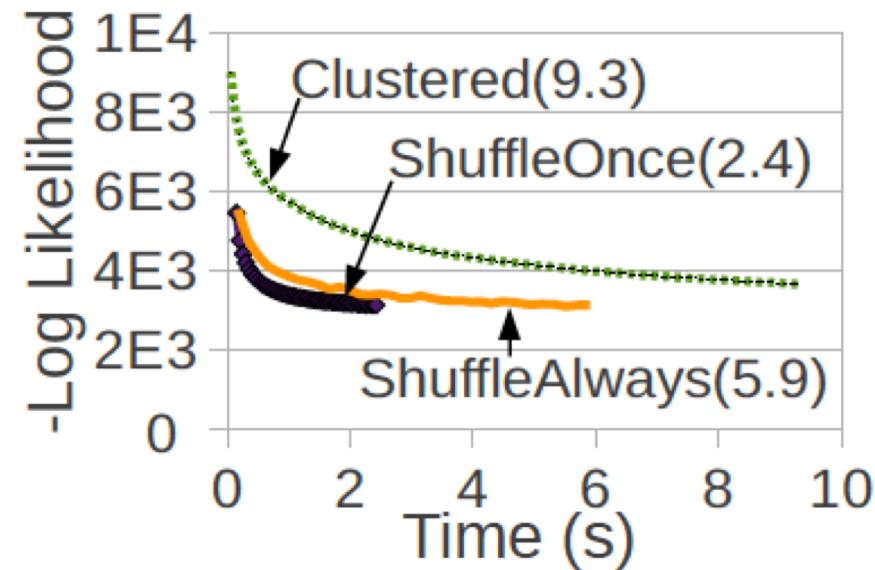
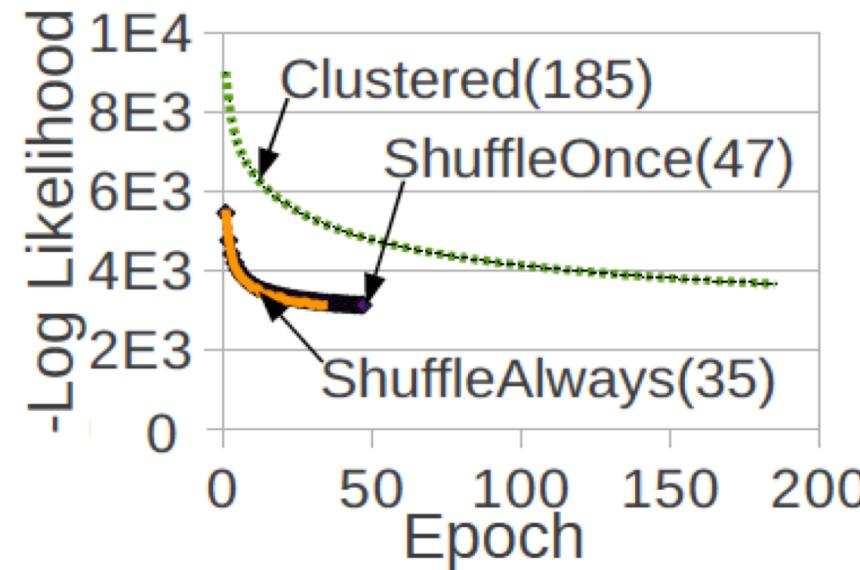
TASKS AND DATASETS

- 1. Logistic Regression (LR) - Forest, DBLife**
- 2. Support Vector Machine (SVM)- Forest, DBLife**
- 3. Low Rank Matrix Factorization (LRM)– MovieLens**
- 4. Conditional Random Fields Labeling(CRF) - CoNLL**

BENCHMARKING RESULTS

Dataset	Task	PostgreSQL		DBMS A		DBMS B(8 segments)	
		BISMARCK	MADlib	BISMARCK	Native	BISMARCK	Native
Forest (Dense)	LR	8.0	43.5	40.2	489.0	3.7	17.0
	SVM	7.5	140.2	32.7	66.7	3.3	19.2
DBLife (Sparse)	LR	0.8	N/A	9.8	20.6	2.3	N/A
	SVM	1.2	N/A	11.6	4.8	4.1	N/A
MovieLens	LMF	36.0	29325.7	394.7	N/A	11.9	17431.3

IMPACT OF DATA ORDERING



SCALABILITY TEST

Task	Dataset			Bismarck	DBMS A	In-memory
	Name	#Examples	Size	PostgreSQL	(Native)	Tools
LR	Classify300M	300M	135GB	✓	✓	X
SVM				✓	✓	X
LMF	Matrix5B	5B	190GB	✓	N/A	X
CRF	DBLP	2.3M	7.2GB	✓	N/A	X

STRENGTHS

1. Incorporating a new task requires only a few lines of code change.
2. Shorter development cycles.
3. Performance optimization is generic.

WEAKNESSES

- Theoretical inference made about the effect of clustering on the convergence rate.
- Only applies to analytical tasks that can be expressed as a convex optimization problem.

REFLECTIONS

REFERENCES
